

(14.4) Calculate the macroscopic cross-section for reaction of natural uranium with thermal neutrons. See Figures 16.1 and 19.5.

Data, constants, and units:

$$N_A := 6.022137 \cdot 10^{23} \cdot \text{mole}^{-1} \quad M_U := 238.03 \cdot \text{gm} \cdot \text{mole}^{-1} \quad barn := 10^{-28} \cdot \text{m}^2$$

$$x_{234} := 0.0055\% \quad x_{235} := 0.7200\% \quad x_{238} := 1 - x_{234} - x_{235} \quad x_{238} = 0.993$$

$$\rho_U := 18.95 \cdot \text{gm} \cdot \text{cm}^{-3}$$

$$\text{From Fig. 20.4: } \sigma_{234} := 100 \cdot barn$$

$$\text{From Fig. 19.5: } \sigma_{235} := (99 + 582) \cdot barn \quad \sigma_{238} := 2.7 \cdot barn$$

Calculations:

$$N_V := \frac{\rho_U}{M_U} \cdot N_A \quad S_{macr} := N_V (x_{234} \sigma_{234} + x_{235} \sigma_{235} + x_{238} \sigma_{238})$$

$$S_{macr} = 36.4 \cdot \text{m}^{-1}$$

A better alternative to Fig. 19.5 is Table 19.2, although the result will practically be the same:

$$\text{From Table 19.2: } \sigma_{235} := (98.6 + 582.2) \cdot barn \quad \sigma_{238} := 2.70 \cdot barn$$

Calculations:

$$N_V := \frac{\rho_U}{M_U} \cdot N_A \quad S_{macr} := N_V (x_{234} \sigma_{234} + x_{235} \sigma_{235} + x_{238} \sigma_{238})$$

$$S_{macr} = 36.4 \cdot \text{m}^{-1}$$